

# MULTIOBJECTIVE OPTIMIZATION OF CO-CLUSTERING ENSEMBLES



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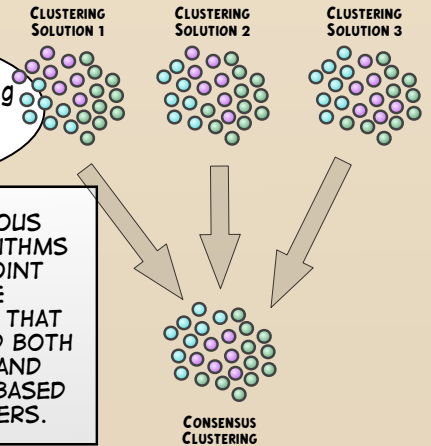
**SUMMARY:** WE COMPARE TWO PREFERENCE-BASED MULTIOBJECTIVE EVOLUTIONARY ALGORITHMS AGAINST TWO EXPECTATION-MAXIMIZATION (EM) METHODS FOR FINDING OPTIMAL CO-CLUSTERING ENSEMBLES.

PREVIOUSLY, AN EM-LIKE ALGORITHM (CB-PCE) WAS DEVELOPED, ALONG WITH A FASTER APPROXIMATION ALGORITHM (FCB-PCE). THE NEW **MULTIOBJECTIVE** METHOD OPTIMIZES TWO ASPECTS OF CO-CLUSTERING SOLUTIONS: THE **OBJECT**-BASED AND **FEATURE**-BASED REPRESENTATIONS OF THEIR DATA POINTS.

**CO-CLUSTERING:** AN UNSUPERVISED MACHINE LEARNING TECHNIQUE TO IDENTIFY OBJECT GROUPS RELATED BY SIMILAR FEATURE VALUES.

**CLUSTERING ENSEMBLES:** GENERALIZING A CLUSTERING FROM A SET OF CLUSTERING SOLUTIONS.

Generalization from a set of clustering solutions? HMMM... interesting !!



OBJECT-BASED REPRESENTATION

FEATURE-BASED REPRESENTATION

CONSENSUS CLUSTERING

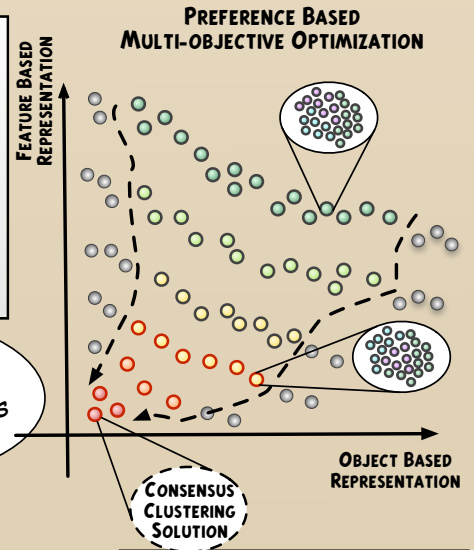
IN THIS STUDY, WE DEVELOPED TWO PREFERENCE-BASED MULTIOBJECTIVE EVOLUTIONARY ALGORITHMS THAT EACH USED TWO OBJECTIVES AS **SEPARATE** GOALS, UNLIKE THE EM ALGORITHMS.

Let's solve each objective separately !!

EM looks good. But what if there are local optima? Do we need to do global search??

Look professor! Preference-based Multiobjective methods can solve this !!

THE PREFERENCE BASED MULTIOBJECTIVE ALGORITHMS FIND A PARETO-FRONT, THEN USES THE JOINT HEURISTIC FROM THE CB-PCE OR FCB-PCE ALGORITHMS TO SELECT A PARTICULAR POINT ON THE FRONT.



Blistering barnacles!! Is the algorithm good only for small datasets??

THE PREFERENCE BASED MULTIOBJECTIVE ALGORITHMS **OUTPERFORMED** THEIR RESPECTIVE EM METHODS ON SIMPLER DATASETS BUT **UNDERPERFORMED** ON MORE COMPLEX DATASETS.

**A POSSIBLE REASON:** THE SEARCH SPACE MAY **NOT** HAVE LOCAL OPTIMA (WE DON'T KNOW YET FOR SURE)! AND EM, ESSENTIALLY A HILLCLIMBER, WOULD BE EXPECTED TO PERFORM BEST IN THIS SITUATION.

Is there really only one global optimum? We need to investigate !...

## THE RESULTS...

	Algorithm	$\Theta_f$	$P$ -value	$\Theta_o$	$P$ -value	$\Theta_{of}$	$P$ -value
Iris	MOEA-CB-PCE	0.5564	(> 99.8%)	0.0813		0.7348	(> 95.0%)
	CB-PCE	0.2332		0.4702	(> 99.8%)	0.6902	
	MOEA-FCB-PCE	0.5444	(> 99.8%)	0.1826	≈	0.2027	(> 95.0%)
	FCB-PCE	0.2002		0.2655	≈	0.1805	
Wine	MOEA-CB-PCE	0.5945	(> 99.8%)	0.1943		0.7748	(> 99.8%)
	CB-PCE	0.1142		0.4119	(> 99.0%)	0.3402	
	MOEA-FCB-PCE	0.6244	(> 99.8%)	0.1001		0.2381	≈
	FCB-PCE	0.1463		0.2518	(> 99.8%)	0.2355	≈
Glass	MOEA-CB-PCE	0.7464	(> 99.8%)	0.0834		0.9048	(> 99.8%)
	CB-PCE	0.1302		0.4702	(> 99.8%)	0.1203	
	MOEA-FCB-PCE	0.6244	(> 95.0%)	0.1026		0.2397	≈
	FCB-PCE	0.4639		0.4525	(> 99.8%)	0.1193	≈
E. Coli	MOEA-CB-PCE	-0.003		-0.0013		0.011	
	CB-PCE	0.0046	(> 99.8%)	0.0894	(> 99.8%)	0.0881	(> 99.8%)
	MOEA-FCB-PCE	-0.003		-0.0009		0.019	
	FCB-PCE	0.0043	(> 99.8%)	0.105	(> 99.8%)	0.112	(> 99.8%)
TraceData	MOEA-CB-PCE	-0.00241		-0.0492		-0.0587	
	CB-PCE	0.018	(> 99.8%)	0.2347	(> 99.8%)	0.2493	(> 99.8%)
	MOEA-FCB-PCE	-0.00246		-0.04956		-0.0591	
	FCB-PCE	0.0177	(> 99.8%)	0.1854	(> 99.8%)	0.247	(> 99.8%)

